

# Software Design & Programming Techniques

## Functional Programming Patterns

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Slides are in part adapted from a talk by Scott Wlaschin

# OO design vs FP design ☺

## OO pattern/principle

- Single Responsibility Principle
- Open/Closed principle
- Dependency Inversion Principle
- Interface Segregation Principle
- Factory pattern
- Strategy pattern
- Decorator pattern
- Visitor pattern

## FP equivalent

- Functions
- Functions
- Functions, also
- Functions
- You will be assimilated!
- Functions again
- Functions
- Resistance is futile!

# Functional Design

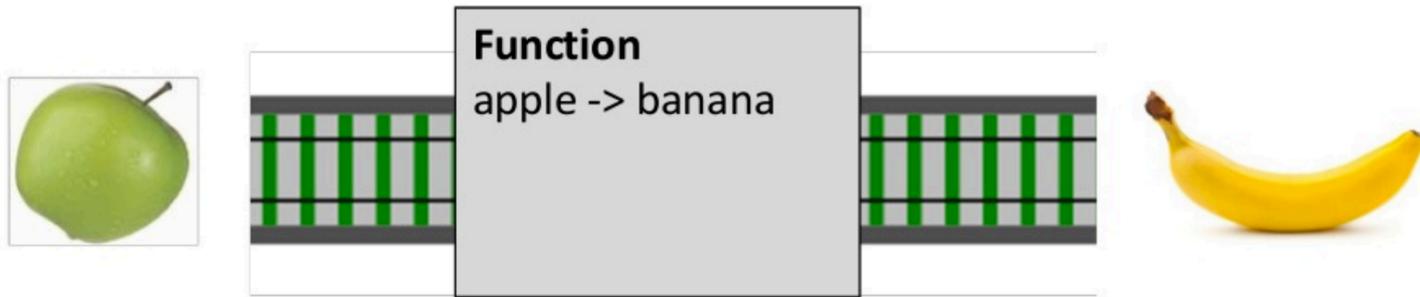
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- ▶ Core Principles
  - ▶ Functions
  - ▶ Types
  - ▶ Composition
- ▶ Functions as Values
- ▶ Monads
- ▶ Maps
- ▶ Monoids and folds

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**Functions are Values!**

# Functions are Values!



Functions are “stand alone” and not associated to a class

They are “first class”: They are values, just like numbers or strings, and can hence be passed to or returned from other functions

# Functions are values!

► A small Haskell session...

> let x = 1

Same keyword to bind names for all values,  
including functions

> let add1 y = y+1

Lambda notation

> let add1 = \y -> y+1

> let twice f x = f (f x)

Higher-Order functions

> twice add1 x

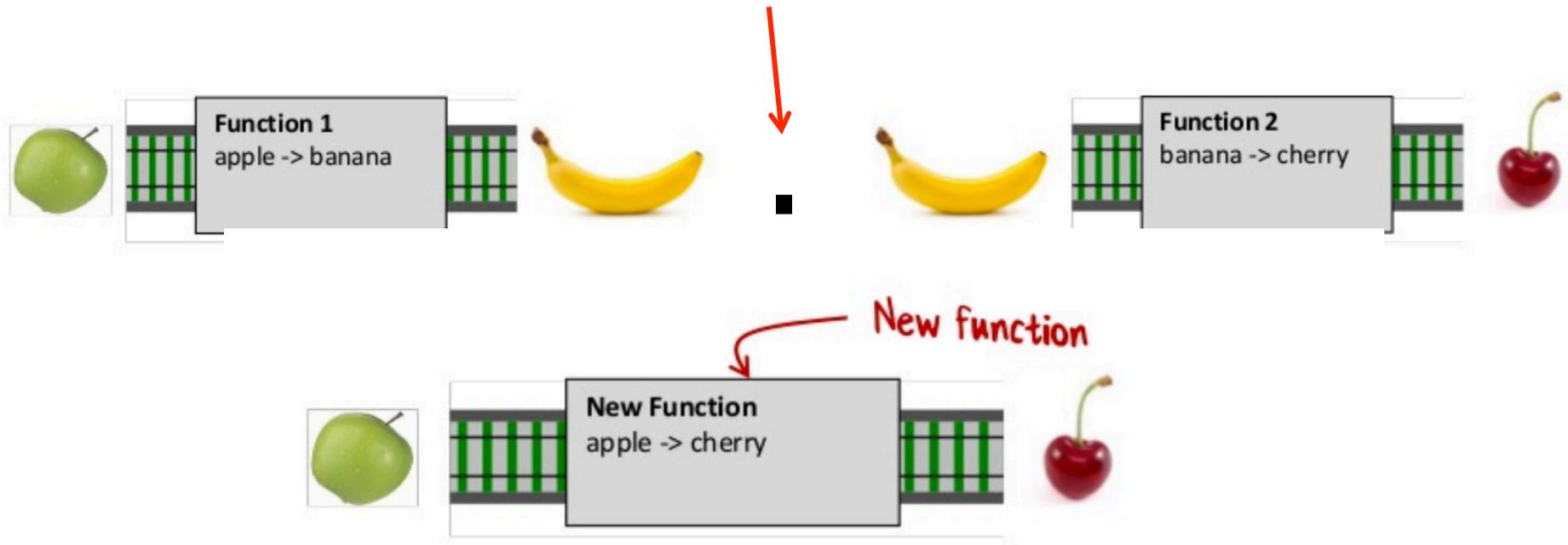
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**Composition everywhere!**

# Composition everywhere!

Function composition operator  
(is itself a function)

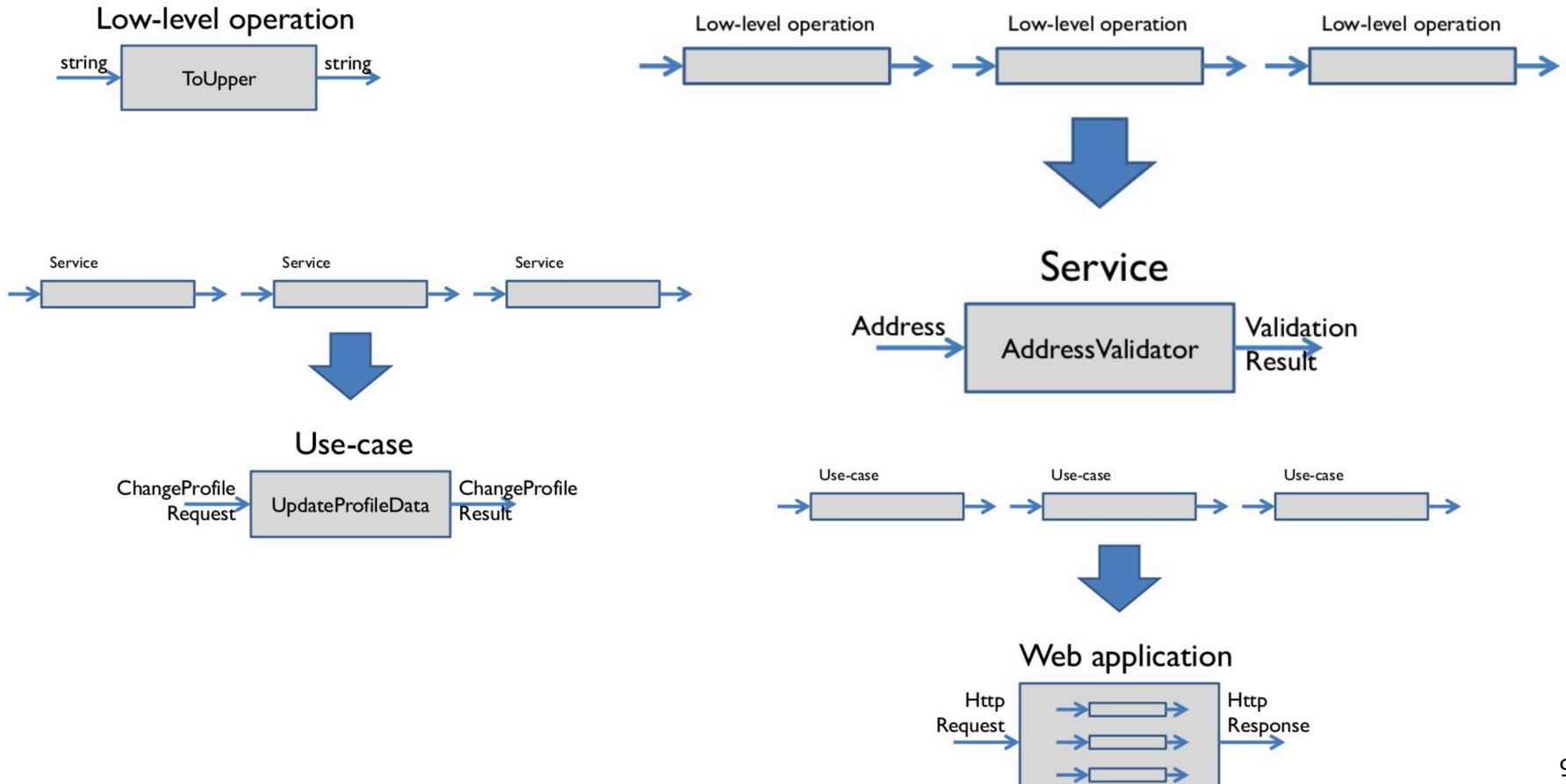


Can't tell it was built from  
smaller functions!

# Functions scale!

“Functions in the small, objects in the large”?

No. Due to composability, functions can be used on every abstraction level!



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**Types are not classes**

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# What are types?

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- ▶ Types are “sets” of values
  - ▶ (we use quotes around “set” because it may not strictly be a set as defined in set theory)
- ▶ If an expression  $e$  has type  $T$ , then this is a prediction that evaluation of  $e$  yields a value that is a member of the “set”  $T$ .
- ▶ Function types denote mathematical functions (recall that a mathematical function is also a set, namely a relation that is deterministic, ... )
  
- ▶ In FP, a type describes the structure of the set it denotes
  
- ▶ In most OO languages, a type is a class name

# Nominal vs Structural typing

- ▶ In FP, a type describes the structure of the set it denotes
  - ▶ Two types are equivalent if they have the same structure
  - ▶ This is called “structural typing”
- ▶ In most OO languages, a type is a class name
  - ▶ Two types are equivalent if they are identical
  - ▶ This is called “nominal typing”
- ▶ Example: The types A and B are different in Java (a nominal system)

```
class A { int x; int y }  
class B { int x; int y }
```
- ▶ Example: The types A and B are equivalent in Haskell (a structural system)

```
type A = (Int,Int)  
type B = (Int,Int)
```

# Composition of Types

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- ▶ Types can be composed, too
- ▶ Standard type composition operators: Products and Sums
- ▶ Sum types correspond to disjoint unions
- ▶ Product types correspond to Cartesian products
- ▶ Examples for sum types:
  - ▶ **Either** type in Scala or Haskell
  - ▶ E.g., type `Bool = Either Unit Unit`  
type `Maybe a = Either a Unit`
- ▶ Sum types destructured via pattern matching
- ▶ Some languages also feature non-disjoint unions
  - ▶ Union types in C
  - ▶ Not type-safe

# Composition of Types

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- ▶ Examples for Product types
  - ▶ Tuples : `(1, "hi")` has type `(Int, String)`
  - ▶ Records: `(x = 5, y = 7)` has type `(x: Int, y: Int)`

# Products and Sums together: Algebraic data types

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► E.g. in Haskell:

```
data Color = Red | Green | Blue
```

```
data Point = Point Float Float
```

```
data UniversityPerson = Professor String | Student Int String
```

# Data of unbounded size via recursion

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- ▶ With products and sums, we can only construct data types of fixed size
- ▶ To have things like lists, we need some form of recursion
  
- ▶ One way: Fixed point operator on the type level

```
data IntListF x = EmptyList | Cons Int x
```

```
type IntList = Fix IntListF
```

- ▶ More common way: Nominal types with recursion
- ▶ Algebraic data types allow recursion!

```
data IntList = EmptyList | Cons Int IntList
```

# Algebraic data types vs. OO classes

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- ▶ In OO languages, product types are formed by fields of classes
- ▶ Sum types are expressed via subtyping

Example:

```
data IntList = EmptyList | Cons Int IntList
```

can be expressed as

```
abstract class IntList
```

```
case class EmptyList() extends IntList
```

```
case class Cons(x: Int, rest: IntList) extends IntList
```

Important difference: Sum types in FP are usually closed, i.e., non-extensible, whereas sums expressed via subtyping are open

This is related to the “expression problem” we discussed earlier

# Datatype-Generic Programming

- ▶ Observation: Many standard functions can in principle be derived from the shape of an algebraic data type
  - ▶ Equality of two types, various traversals, “folds”
- ▶ But we need to repeat those definitions for every datatype
- ▶ Way out: Datatype-generic programming
- ▶ We can't address the topic in detail, see [www.cs.ox.ac.uk/jeremy.gibbons/publications/dgp.pdf](http://www.cs.ox.ac.uk/jeremy.gibbons/publications/dgp.pdf) for a good tutorial
- ▶ Common idea: Express datatypes via “polynomial functors”
  - ▶ Functor: Function on the type level that comes with a “map” function
  - ▶ Polynomial functor: Type constructors that can show up in the functor restricted to product and sum operators
- ▶ E.g., instead of writing

```
data ListF x = EmptyList | Cons Int x
```

we can write

```
type ListF X = 1 + (Int * X)
```

(1 is something like Unit, 0 is something like Nothing)

# Polynomial functors

- ▶ Using polynomial functors, standard data type isomorphisms coincide with standard identities known from basic algebra:

$$1 * 1 = 1$$

$$1 + 0 = 0 + 1 = 1$$

$$1 * 0 = 0$$

$$A * B = B * A$$

$$A * (B + C) = A * B + A * C$$

$$1 + 1 = 2$$

- ▶ Even standard rules for derivation of polynomials can be interpreted in the polynomial functor world

$$F(X) = X * X * X = X^3$$

$$F'(X) = 3 * X * X = 3 * X^2 = (X^2 + X^2 + X^2)$$

$F(X)$  describes containers with three elements.

$F'(X)$  describes the types of containers with three elements with a "hole":

Either the left element is missing, or the middle one, or the right one

For more on this topic, consider

<http://chris-taylor.github.io/blog/2013/02/10/the-algebra-of-algebraic-data-types/>

# FP pattern: Make effects explicit

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- ▶ “Effect”: Things a function does in addition to (or instead of) computing a value
  - ▶ Example: Non-termination, I/O, Mutation of variables
- ▶ Idea: Type signatures should not “lie”
  - ▶ If a function signature promises to map every string to an integer, it should not sometimes return abnormally with an exception
- ▶ Example: In FP, an integer parsing function `string2int` would have a type like:  
`string2int : String -> Maybe Int`  
  
instead of  
  
`string2int: String -> Int`  
  
and sometimes throwing an exception

# What's good about explicit effects?

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- ▶ Making effects explicit reduces or eliminates the dependence of the program result on the order of evaluation

Example:

```
val myfunc = try {  
  fun (x: String) => if ... then throw SomeException ...  
} catch (SomeException e) ...
```

The exception handler won't work if the exception is thrown in a part of the code whose evaluation is deferred, e.g., by being inside a function body

# Explicit effects

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- ▶ Explicit effects are only a “design pattern” in some FP languages; in other languages they are (partially) enforced by the type system
  - ▶ Haskell, Clean, Idris, ...
  - ▶ For instance, Haskell enforces explicit mutation and I/O, but does not enforce termination
- ▶ For instance, a Haskell function of type `Int -> Int` will, given input `x`
  - ▶ Either diverge on `x`
  - ▶ Or return another integer `y` but not perform any mutation, not print something on the screen, not write something to your harddrive, not communicate on the network
- ▶ There are several advanced FP “patterns” for dealing with explicit effects in an elegant way
  - ▶ Monads, effect types, algebraic effects, ...
  - ▶ Not in the scope of this lecture

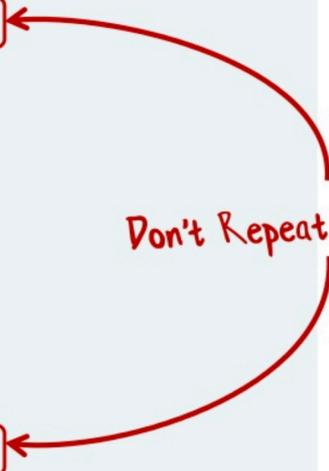
# Back to basic FP...

- ▶ Meta-Pattern in FP: “We can parameterize/abstract over anything”
- ▶ Concrete instance of the meta-pattern: Parameterize over functions
- ▶ Example: FP programmers hate this kind of redundancy

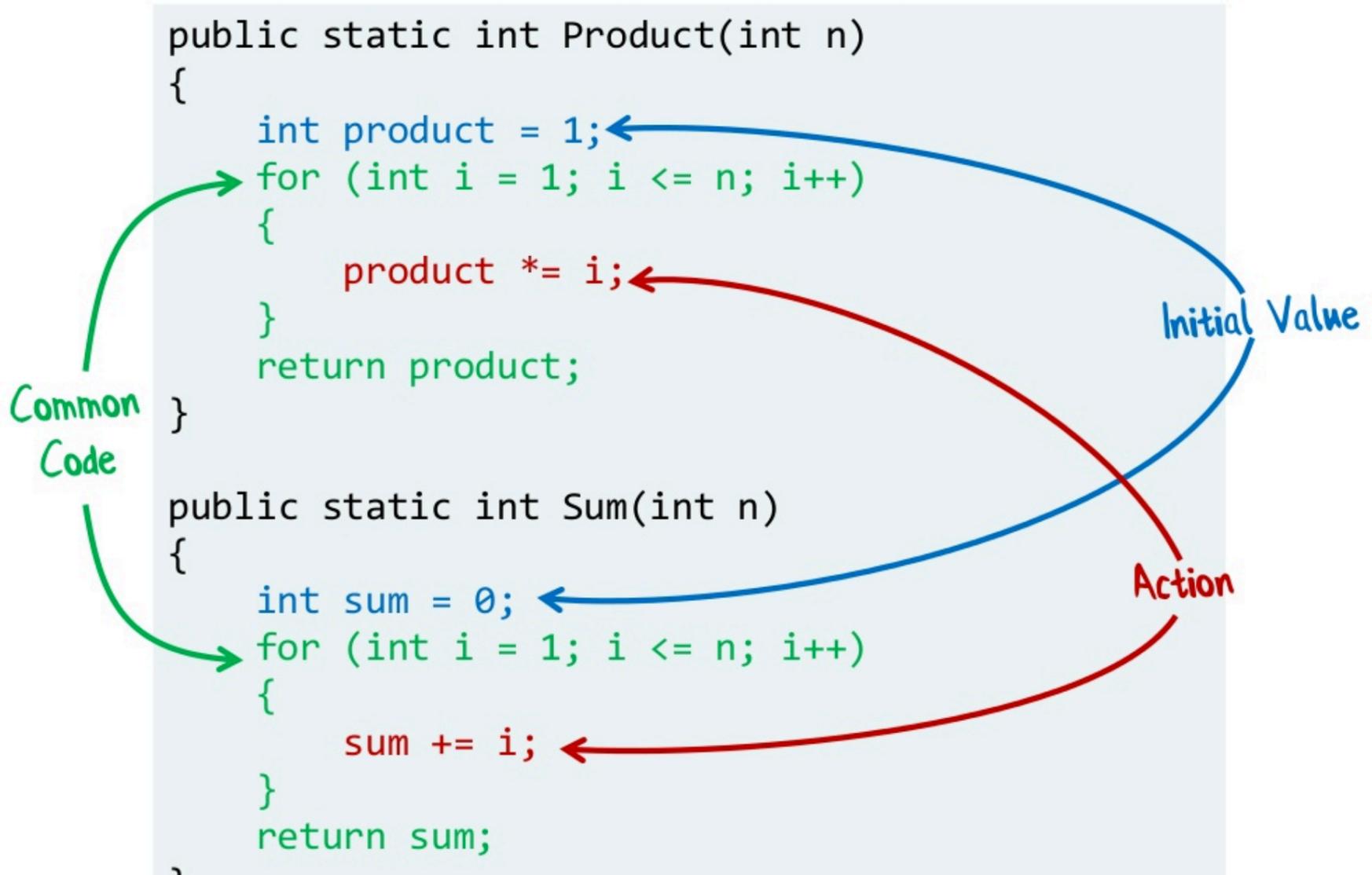
```
public static int Product(int n)
{
    int product = 1;
    for (int i = 1; i <= n; i++)
    {
        product *= i;
    }
    return product;
}
```

```
public static int Sum(int n)
{
    int sum = 0;
    for (int i = 1; i <= n; i++)
    {
        sum += i;
    }
    return sum;
}
```

*Don't Repeat Yourself*



# Parameterize all things...



## Parameterize all the things

```
let product n =  
  let initialValue = 1  
  let action productSoFar x = productSoFar * x  
  [1..n] |> List.fold action initialValue
```

```
let sum n =  
  let initialValue = 0  
  let action sumSoFar x = sumSoFar+x  
  [1..n] |> List.fold action initialValue
```

Parameterized  
action

Common code extracted

Lots of collection functions like this:  
"fold", "map", "reduce", "collect", etc.

Initial Value